Formulas

discrete time growth:

- $N_T = N_0 \lambda^T$
- $\lambda = f + p$
- $\mathcal{R} = f/(1-p)$

continuous time growth:

- $N(t) = N(0) \exp(rt)$
- r = b d
- $\mathcal{R} = b/d$

structured growth:

- $\bullet \ \ell_x = p_1 \times p_2 \times \dots p_{x-1}$
- $\sum \ell_x f_x \lambda^{-x} = 1$
- $SAD(x) \propto \ell_x \lambda^{-x}$

1. Which of these traits would be characteristic of an r-strategist?

- A. Large final size
- B. Good dispersal
- C. Production of a small number of high-quality offspring
- **D.** Good competitive ability
- E. Iteroparity

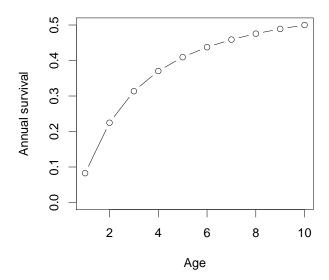
2. The value f_x in a life table incorporates: survival of the x year old individual from ______, survival of new individuals from the reproductive period to the census time, and ______ the number of new individuals produced by an individual during the reproductive period.

- A. the reproductive period to the census time; not
- B. the reproductive period to the census time; also
- C. the census time to the reproductive period; not
- $\mathbf{D.}$ the census time to the reproductive period; also

 ${f 3.}$ Which of the following is not usually an advantage of dispersal:

 A. More likely to find a suitable habitat B. Less likely to compete with siblings C. Distributes risk (bet hedging) D. Genetic mixing
4. A correct mathematical explanation for bet-hedging strategies is that: organisms average over environments generations to achieve a higher mean; the mean.
 A. within; arithmetic B. within; geometric C. between; arithmetic D. between; geometric
5. If every individual of an annual species has 100 offspring, which are dispersed such that within any year half of them land in good spots (5% survival) and half of which land in bad spots (1% survival), which of the following is closest to its long-term average growth rate?
A. 0.5 B. 1 C. 2.2 D. 3 E. 6
6. A pile of radioactive material is decaying <i>continuously</i> at an instantaneous rate of 1% per minute. After two minutes, what proportion is left?
 A. A little more than 98% B. Exactly 98% C. A little less than 98% D. About 30% E. None
7. A population meets the assumptions of the balance argument for sexual allocation. It the population has more females than males at birth, this means that, on a basis, there is investment of resources in in producing females than in producing males
 A. population; higher B. population; lower C. Per-offspring; higher D. Per-offspring; lower

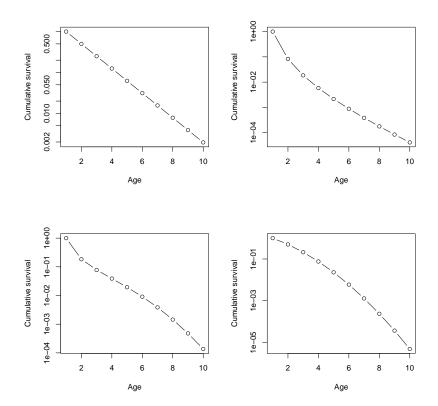
- **8.** Which of the following is *not* an example of a tradeoff?
- **A.** Birds with heavier beaks are more efficient at cracking seeds and better at defending territory
 - **B.** Bushes which survive better in dry conditions grow more slowly in wet conditions
 - C. Trees which grow fastest in full sunlight have higher mortality in the shade
- **D.** Rabbits which need less food to survive produce fewer offspring when food is plentiful
- **9.** Which of the following would you expect to lead to a population producing more females than males at birth?
 - A. Increased cost of producing females
 - **B.** Higher population density
 - C. Lower population density
 - **D.** Greater variation in male reproductive success
 - E. Restricted dispersal leading to within-family mating
- 10. If we are thinking about a simple, continuous-time model, then for a population to be regulated:
- **A.** The average reproductive number \mathcal{R} must be low at high density and higher at either low or intermediate density
- ${f B.}$ The birth rate b must be low at high density and higher at either low or intermediate density
- \mathbf{C} . The death rate d must be high at high density and lower at either low or intermediate density
 - **D.** All of the above
- 11. Polio has a finite-time growth rate λ of about 11, and a generation time of about 10 days. If we start with one case, about how many cases do we expect to see (provided there is no density-dependence) 20 days later?
 - **A.** 2.2
 - **B.** $\exp(2.2)$
 - **C.** 22
 - **D.** 121
 - **E.** 220



Use the picture above for the following 2 questions.

- 12. What does this picture of survivorship in an idealized age-structured population indicate about *mortality* in this population?
 - **A.** Mortality is constant
 - **B.** Mortality is elevated in older individuals
 - C. Mortality is elevated in younger individuals
 - **D.** Mortality is elevated in both older and younger individuals

13. The pictures below show *cumulative* survival. Which one corresponds to the picture shown above?



- 14. Which of the following is true of the age distribution of a decreasing population with a constant life table?
 - **A.** It matches the ℓ_x curve exactly
 - **B.** It is more top-heavy (more individuals in older age classes) than the ℓ_x curve
- C. It is more bottom-heavy (more individuals in younger age classes) than the ℓ_x curve
 - **D.** Insufficient information to answer
 - E. A population can't be decreasing if it has a constant life table
- **15.** The carrying capacity for an organism in an environment is the density at which crowding reduces the average of _______ to zero:
 - **A.** The birth rate
 - **B.** The death rate
 - C. The recruitment rate
 - **D.** The amount of free habitat
 - E. The difference between the birth rate and the death rate

16. A population of oak trees is estimated to be at stable age distribution, with a constant life table, with reproductive number $\mathcal{R}=1.2$. It takes the trees several decades to reach maturity and reproduce. This population is

- A. declining
- **B.** stable
- C. increasing
- **D.** showing damped oscillations
- E. there is not enough information to answer this question
- 17. If an annual species produces an average of 10 offspring in odd years and an average of 1 offspring in even years, which of the following is closest to its long-term average growth rate?
 - **A.** 1
 - **B.** 3
 - **C.** 3.2
 - **D.** 5.5
 - **E.** 10

Answer questions on this page in pen. Briefly show necessary work and equations. Points may be deducted for wrong information, even when the correct information is also there.

- 18. A rat population is growing without any population regulation. Females produce an average of 1.6 offspring each year for two years. The probability of each offspring surviving to reproduce is 0.5; one-year-old rats survive to age 2 with probability 0.8; two-year-old rats never survive, because they don't want your life table to be too long. The sex ratio in the population is 1:1.
- a) (2 points). Explain *briefly* how you calculate the values of f_x for this population. You should explain whether you are counting before or after reproduction (either is fine).
- b) (2 points). Explain briefly what values you use for p_x to be consistent with your census choice in the previous answer.
- c) (1 point) Explain briefly what ℓ_x means, and show how you calculate the values.
- d) (1 point) Fill in the life table and calculate $\mathcal R$ for this population.

\boldsymbol{x}	$\int f_x$	p_x	ℓ_x	$\ell_x f_x$
1				
2				
$\overline{\mathcal{R}}$				

- e) (1 point) Write an expression showing the relationship between λ , \mathcal{R} and 1 (e.g., $\lambda > \mathcal{R} = 1$ or $\lambda < 1 < \mathcal{R}$).
- f) (1 point) Write an equation that you could use to calculate λ for this population. Fill in numbers for all values except for λ .